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1. Model-theoretic semantics – anything wrong with it?

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Semantic values

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- 4. No content: Model Space vs. Logical Spaces

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- 4. No content: Model Space vs. Logical Spaces
- 5. Conclusion

What we are talking about: Model-theoretic semantics **of natural language**

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What's **wrong** with it:

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4. Semantics, theory of reference

Let *e*, *t*, *s* be the respective numbers 0, 1, 2. (The precise choice of these objects is unimportant; the only requirements are that they [...]

to objects of type τ) is in T. In connection with any sets E and Iand any $\tau \in T$, we characterize $D_{\tau,E,I}$, or the set of possible denote tions of type τ based on the set E of entities (or possible individuals) and the set I of possible worlds, as follows: $D_{e,E,I} = E$; $D_{t,E,I} =$ $\{\Lambda, \{\Lambda\}\}$ (where Λ is as usual the empty set, and $\Lambda, \{\Lambda\}$ are identified with falsehood and truth respectively); if $\sigma, \tau \in T$, then $D_{\langle \sigma, \tau \rangle, E,I} = D_{\tau, E,I} D_{\sigma, E,I}$ (where in general A^B is the set of functions with domain B and range included in A); if $\tau \in T$, then $D_{\langle s, \tau \rangle, E,I} =$ $D_{\tau, E, I}^{I}$. If J is also a set, then $M_{\tau, E, I, J}$, or the set of possible mean-[...]

R>. A type assignment for L is a function σ from Δ into T such that $\sigma(\delta_0) = t$. A Fregean interpretation for L is an interpretation $\langle B, G_{\gamma}, f \rangle_{\gamma \in \Gamma}$ for L such that, for some nonempty sets E, I, J, and some type assignment σ for L, (1) $B = \bigcup_{t \in I} M_{t, E, I, J}$, (2) whenever $\delta \in \Delta$ and $\zeta \in X_{\delta}$, $f(\zeta) \in M_{\sigma(\delta)}$, E, I, J, and (3) whenever $\langle F_{\gamma}, \langle \delta_{\xi} \rangle_{\xi < \beta}$, $\varepsilon \rangle \in S$ and $b_{\xi} \in M_{\sigma(\delta_{\xi})}$, E, I, J for all $\xi < \beta$, then $G_{\gamma}(\langle b_{\xi} \rangle_{\xi < \beta}) \in M_{\sigma(\epsilon)}$, E, I, J is uniquely determined and is called the set of points of reference of the Fregean interpretation. By a Fregean [...] Montague, Richard: 'Universal Grammar'. Theoria **36** (1970), 373-398; pp. 378-380

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What we are **not** talking about:

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- Possible worlds semantics of natural language

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What's wrong with it:



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What's wrong with it:

A model-theoretic account of a (given) natural language does not say what their expressions mean

In particular ...

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OBJECTION:

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EDUCATED answer: SYNTHESIS

Some values represent communicative functions, some don't, depending on their interpretability.

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Uninterpretability may lead to serious restrictions in applying semantic theory.

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4. Semantics: theory of reference

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Montague (1970: 380)

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Should this come out valid? Maybe not: John and Bill could be the same person.

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- Only John likes Mary
- :. Bill doesn't like Mary

Should this come out valid? Maybe not: John and Bill could be the same person. And indeed, it is safe to assume: $[John]^{M,i} = [Bill]^{M,i}$

for at least some admissible models

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However, if names *N* are disambiguated by their bearers *b* [as at least some semanticists have suggested], then the inference should be valid on the reading:

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- A straightforward disambiguation policy could take care of this:
- The referent of $N_x = x$.

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A straightforward disambiguation policy could take care of this:

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However, this strategy is inconsistent with modeltheoretic interpretation, where the referent of a name cannot be determined from its global extension (and shifts with its local extensions).

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Closure under arbitrary isomorphisms also leads to problems with cross-linguistic comparison (as hinted at in K&K's intro):

Adapting a classical argument (by Heringer?) against structuralist phonology, it follows that no two languages can be distinguished if one results from the other by permuting (lexical) expressions of the same category (e.g., *cat* and *mouse*): the Model Spaces are the same!

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 $\langle \text{'thou art hungry'}, \langle i, \langle \text{Smith, Jones} \rangle \rangle$.) The precise characterizations are the following. If $\langle \varphi, p \rangle$ and $\langle \psi, q \rangle$ are tokens in *L*, then $\langle \varphi, p \rangle$ *K-entails* $\langle \psi, q \rangle$ in *L* if and only if $\varphi, \psi \in DS_L$ and, for every Fregean interpretation **B** for *L*, if $\langle \mathbf{B}, p \rangle$ is in *K* and φ is a true sentence of *L* with respect to $\langle \mathbf{B}, p \rangle$, then $\langle \mathbf{B}, q \rangle$ is in *K* and ψ is a true sentence of *L* with respect to $\langle \mathbf{B}, q \rangle$. If $\varphi, \psi \in DS_L$, then the sentence *type* φ *K-entails* the sentence *type* ψ in *L* if and only if $\langle \varphi, p \rangle$ *K*-entails $\langle \psi, p \rangle$ for every ordered pair *p*. (It is clear

Montague (1970: 381f.)

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A sentence S_1 globally entails a sentence S_2 iff S_1 locally entails S_2 according to every model $M \in K$:

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In general, a local sense relation *R* is defined in terms of the set of all points of reference of a given model – its Logical Space – and the corresponding global relation *R** holds iff *R*

holds according to every model.

Given the structuralist spirit of model-theoretic semantics, one would expect the global relations to be the ones that predict 'observed' sense relations

However, they don't ...

The smallness of Model Space

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If Model Space is large enough, it will block many desirable global sense relations. As a case in point, unless the relevant counter-examples are not declared inadmissible (e.g., by means of *meaning postulates*), the entailment between

Everyone is married and

Nobody is a bachelor does not come out.

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... in which case local and global relations coincide.

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... which is needed to get the global sense relations right: models with small Logical Spaces could be counter-examples to, say, the non-synonymy of *John loves Mary* and *Bill loves Mary*.

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Maybe, but then that theory is not model theory ...

THANK YOU FOR YOUR ATTENTION